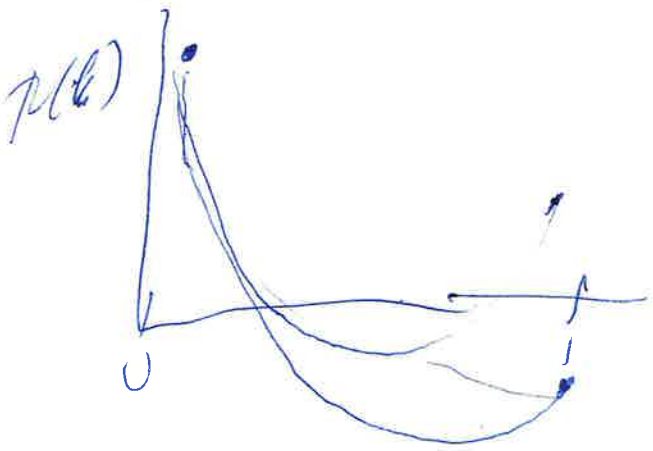
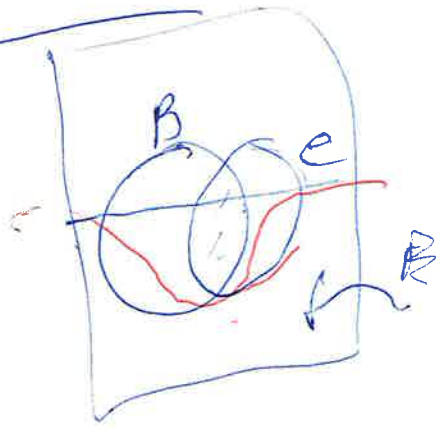


$$P(A|B) = \frac{P(A \cap B)}{P(B)}$$



ε' ou ε''

ε ou ε

Il ne reste

$$\frac{1}{AB+\varepsilon(1-AB)} = \frac{A+R(1-A)}{AB+R(1-AB)} \times \frac{B+R(1-B)}{A+B+R(1-AB)}$$

mais $R = \varepsilon$)

Il ne reste donc ε à voir dans

que

$$\varepsilon = P\left(\begin{array}{l} e/\cancel{\alpha\beta\gamma\alpha\beta\gamma\alpha} \\ e/\alpha\beta\gamma\alpha\beta\gamma\alpha \end{array}\right) \begin{array}{l} P(e/\alpha(\beta\gamma\alpha)) \\ -P(e/\alpha\beta\gamma\alpha\gamma\alpha) \end{array}$$

$$R = P(e/\alpha R - \beta\gamma\alpha) \left.\begin{array}{l} \\ \\ \end{array}\right\}$$
$$= P(e(\gamma\alpha\alpha\gamma)) \times \left.\begin{array}{l} \\ \\ \end{array}\right\}$$
$$= P(e(\gamma\alpha\alpha\beta\gamma\gamma)) \left.\begin{array}{l} \\ \\ \end{array}\right\}$$
$$= P(e/\gamma\beta\gamma\gamma)$$

$$P(e/\gamma\alpha) = \cancel{P(e/\alpha)P(\alpha) + P(\cdot}$$

$$= P(e/\gamma\alpha\gamma\beta))\,P(\alpha\beta) + P(e/\gamma(\gamma\gamma\beta))\,P(\gamma\beta)$$
$$R\,y \quad \cancel{(1-y)} \quad + \quad R(1-y)$$

$\varepsilon = R.$

We require $P(e/\gamma\alpha) = P(e/\gamma\alpha\alpha\beta)\,P(\beta)$
$+ P(e/\gamma\alpha\alpha\gamma\beta)\,P(\gamma\beta)$

Il reste $P(e/\gamma\alpha\alpha\gamma\beta) = R.$

Now we let about $P(e/\text{con}\,2)$

$$= \frac{P(\text{con}\,2/e)\,P(e)}{P(\text{con}\,2)}$$

$$P(\text{con}\,1/e) = \frac{P(C/A) + P(B/e) - P(B \cdot e)/e}{}$$

Write $\frac{1}{AB + \varepsilon(1-AB)} = \lambda$

$$\varepsilon(1-AB) = \frac{1}{\lambda} - AB$$

$$\varepsilon = \frac{1 - \lambda AB}{\lambda(1-AB)}$$

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$P(A \cap B) = P(B) \cdot P(A|B)$

$P(A|B \cap C) + P(\bar{A}|B \cap C) = P(A|C)$

$P(A|C) = P(A|B \cap C) P(B|C) + P(A|\bar{B} \cap C) P(\bar{B}|C)$

$P(A|\bar{B} \cap C) = 0.$

$P(A|\bar{B} \cap C) = P(A|C) - P(A|B \cap C) P(B|C)$

$P(A|\varepsilon)$

$f(x) = x + (y - \xi) x'$

$x + \varepsilon(1, x)$

$x \leq \varepsilon \leq$

$x \leq 1$,

Transparencies

Fig. 1. Scheme of Titles of Sections

Fig 2. Eqs. (1) and (2) and (3) Bayes's formula

Fig 3. Evidence net rates , eq (5)

Fig 3a. Multiple predictors eqs (6) & (7) for $P(H_{n+1})$

Fig. 4. simple model for E , Fig 3b True & false theories

P_n & $P(E_{n+1})$ v. n.

Fig. 5. Boolean expressions of Bayes theorem

Fig 6. Boolean or exclusive

Fig 7. P_C & P_B v. space of predictors.

Fig 8. methodological diagram

Fig 9. Calculation of P_A & P_B (constants)

Fig 10 Solution for P_A & P_B.

Fig 11 Formula for $P_C(H_1 \cdots H_m)$

Fig 12 P_C for noisy model of E.